

Bridges Crossing Faults

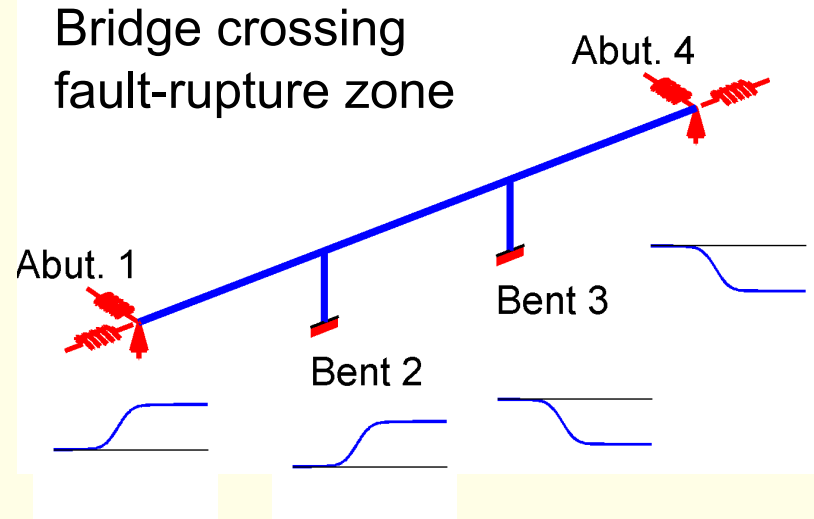
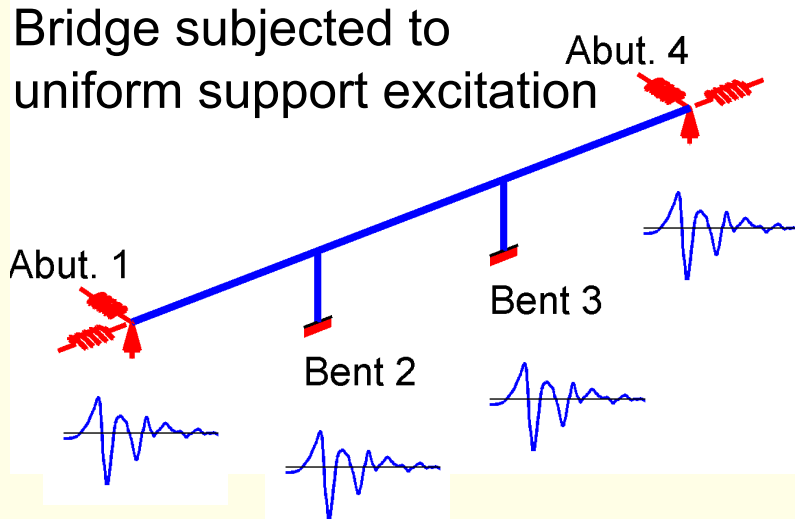
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Objectives

- Develop simplified procedure to estimate seismic demands in “ordinary” bridges crossing fault-rupture zone
 - Rooted in structural dynamics theory
 - Simpler than nonlinear response history analysis
 - Utilize special feature of support motions in fault-rupture zones

Current Analytical Procedures



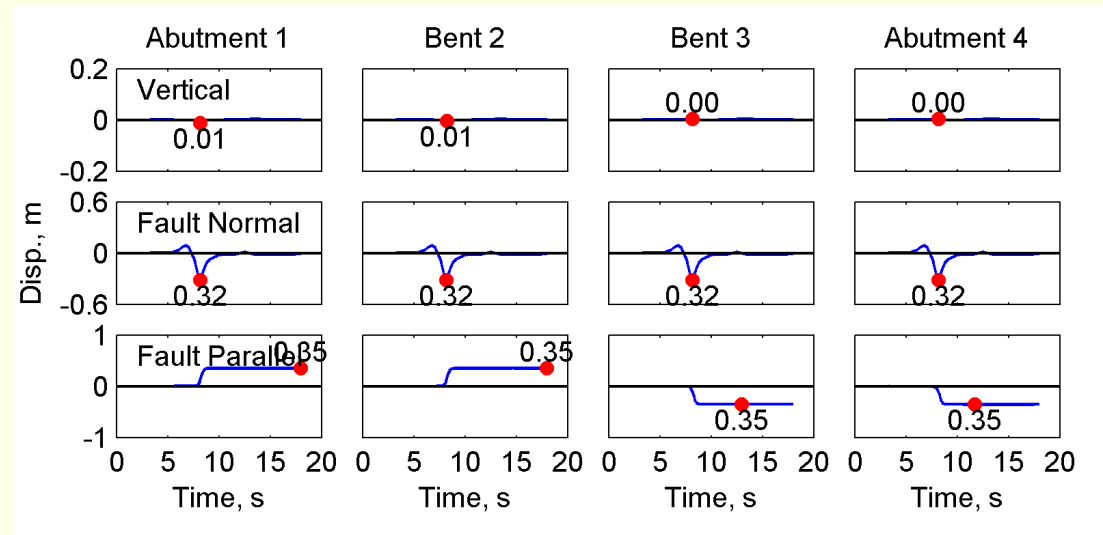
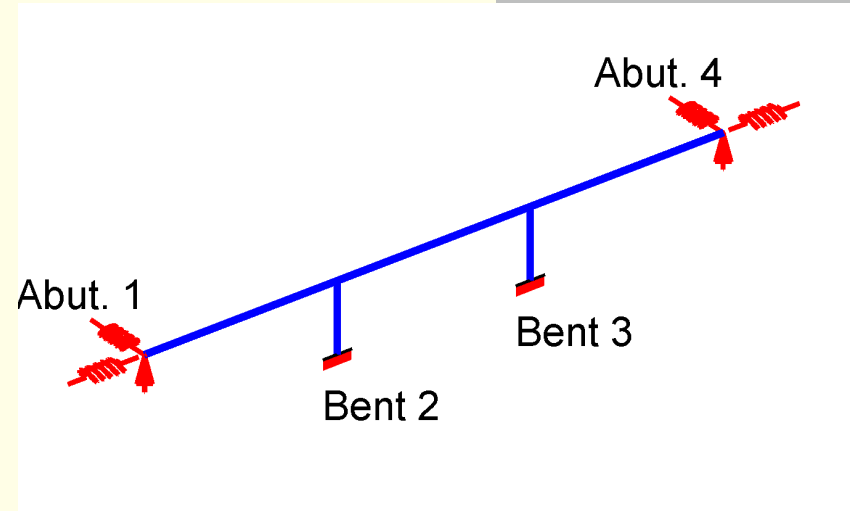
- Bridge subjected to uniform support excitation
 - Linear ELF analysis, NSP, Linear RSA, linear/nonlinear RHA
- Bridges crossing fault-rupture zones
 - Linear/nonlinear RHA for multiple support excitation

Ground Motions

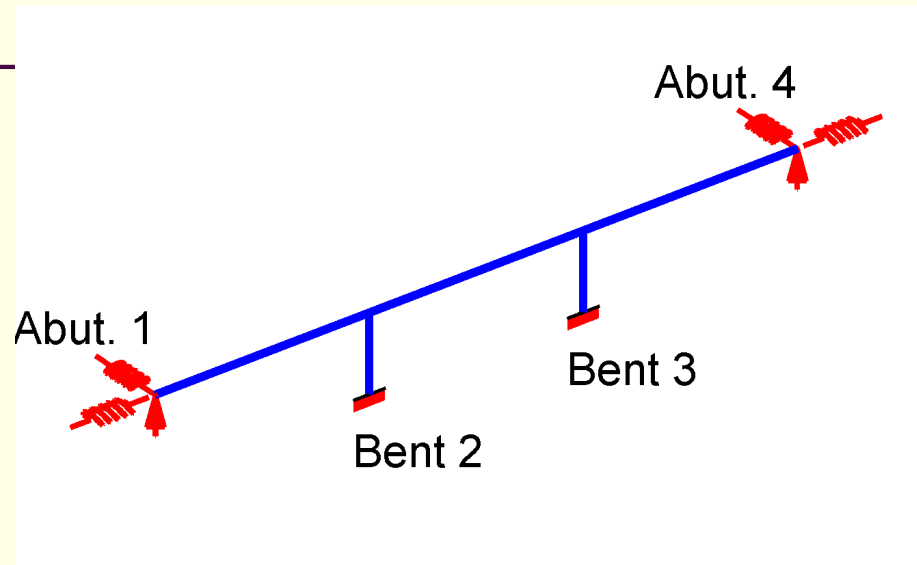
- Motions at bridge supports on two sides of the fault are needed
 - Bridge supports are very close to the fault
 - Supports are within few tens of meters from the fault
 - Motions have not been recorded so close to the fault on both sides
 - Recorded motions are at few hundred meters from the fault
- Support motions were simulated on faults with various orientations
 - Simulations by Prof. Doug Dreger at UC Berkeley

Motions Across Strike-Slip Fault

- FP motions are anti-symmetric with respect to the fault
- FN motions are symmetric with respect to the fault
- Vertical motions are anti-symmetric with respect to the fault
 - Vertical motions for strike-slip fault at selected location are very small



Motions in Fault-Rupture Zones



$$u_{gI}(t) = \alpha_I u_g(t)$$

Motion at Ith Support

Motion at a Reference Location

Proportionality Constant

Proportional Multiple-Support Excitation

Proportional Excitation – Strike-Slip Fault

$$u_{gl}(t) = \alpha_l u_{g,Abut1}(t)$$

Fault-Parallel Motions

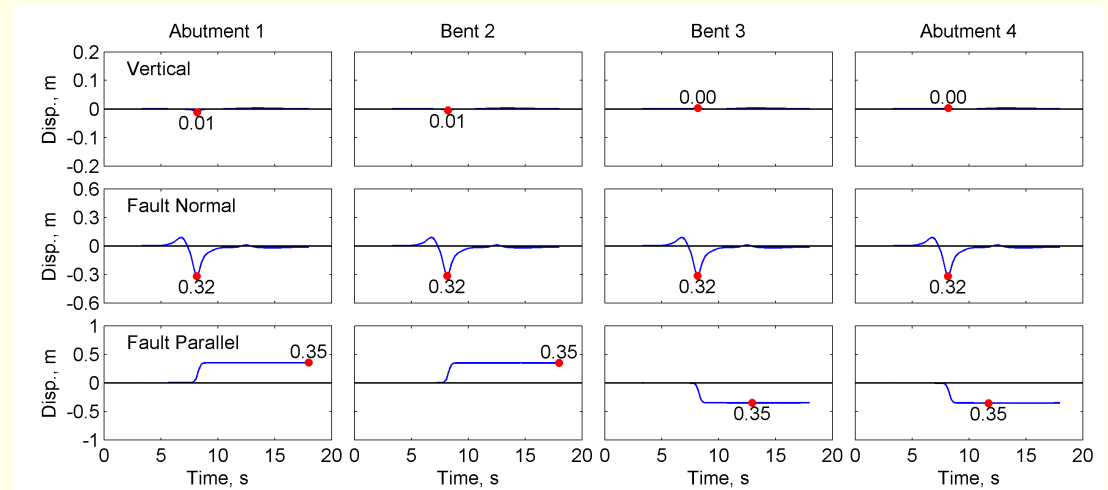
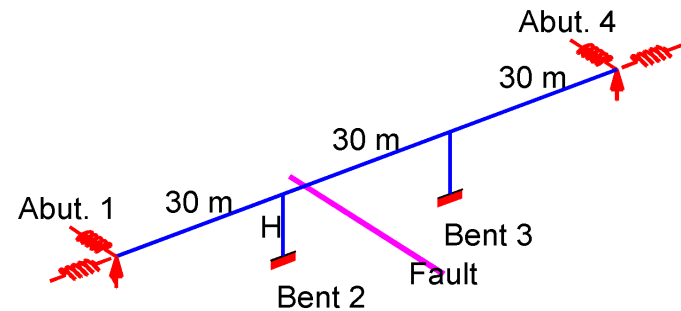
$$\alpha_{Abut1} \text{ and } \alpha_{Bent2} = 1$$

$$\alpha_{Bent3} \text{ and } \alpha_{Abut4} = -1$$

Fault-Normal Motions

$$\alpha_{Abut1} \text{ and } \alpha_{Bent2} = 1$$

$$\alpha_{Bent3} \text{ and } \alpha_{Abut4} = -1$$



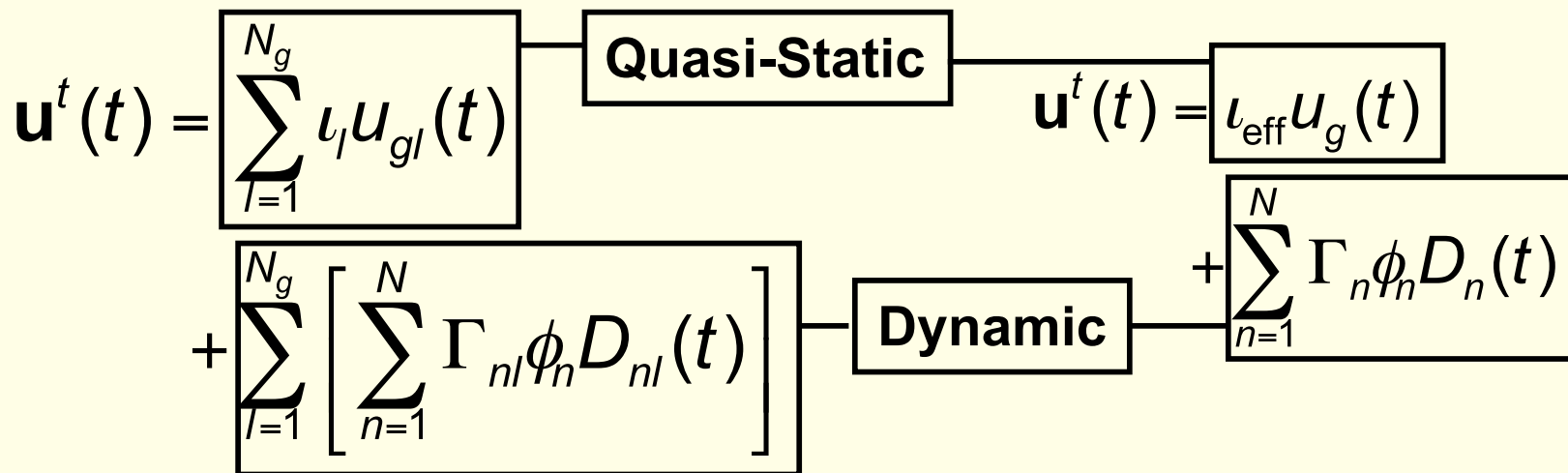
Equations of Motion: Linear Systems

General Multiple -Support Excitation

$$\ddot{\mathbf{m}}\mathbf{u} + \mathbf{c}\dot{\mathbf{u}} + \mathbf{k}\mathbf{u} = -\mathbf{m} \sum_{l=1}^{N_g} \iota_l \ddot{u}_{gl}(t)$$

Proportional Multiple -Support Excitation

$$\ddot{\mathbf{m}}\mathbf{u} + \mathbf{c}\dot{\mathbf{u}} + \mathbf{k}\mathbf{u} = -\mathbf{m} \iota_{\text{eff}} \ddot{u}_g(t)$$



Peak Response

$$\mathbf{u}_o^t \approx \mathbf{u}_o^s + \mathbf{u}_o$$

Peak response from dynamic analysis:
Combine peak values from significant modes using appropriate combination rule: SRSS or CQC

Peak response from quasi-static analysis:
Apply peak support displacements statically

$$\mathbf{u}_o^s = l_{\text{eff}} U_{go}$$

Dynamic Response

$$\mathbf{u}_o \approx \left[\sum_{n=1}^{J \leq N} (\mathbf{u}_{no})^2 \right]^{1/2}$$

Peak Displacement of SDF System
with T_n and ξ_n
From Response or Design Spectrum

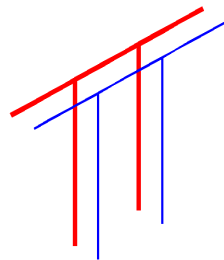
$$\mathbf{u}_{no} = \Gamma_n \phi_n D_{no}$$

$$\Gamma_n = \frac{\phi_n^T \mathbf{m} \mathbf{l}_{\text{eff}}}{\phi_n^T \mathbf{m} \phi_n}$$

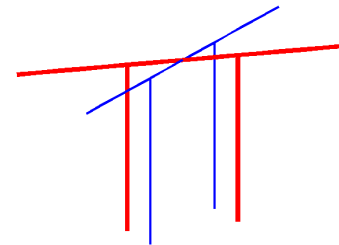
Utilizes “Effective” Influence Vector
Not same as standard RSA

Effective Influence Vector

- Essentially translation in bridges subjected to spatially uniform support excitation
- Significant torsional motions about a vertical axis in bridges crossing fault-rupture zones



Spatially-Uniform

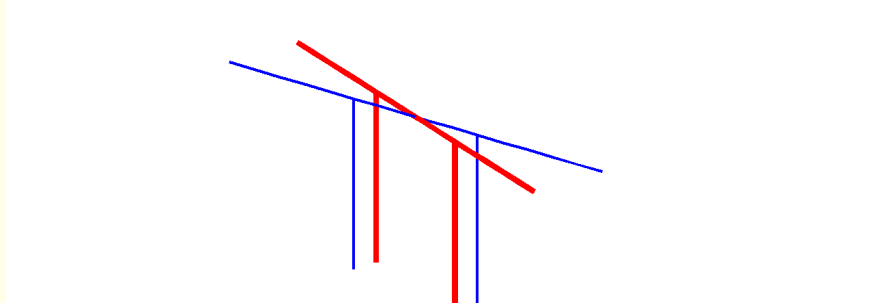
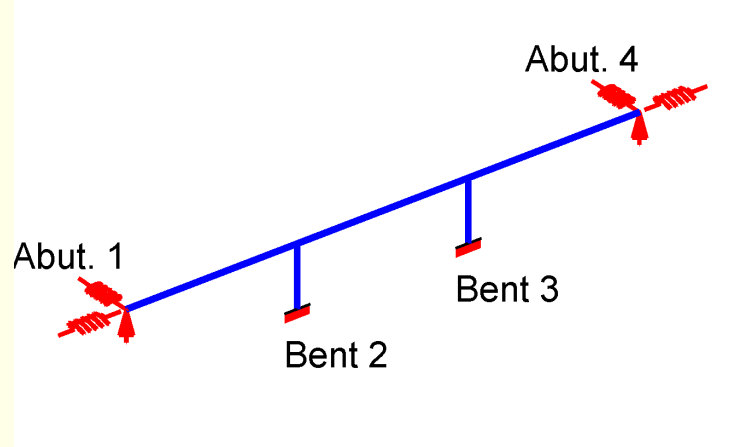


Fault-Rupture Zone

Analysis: Linear Systems

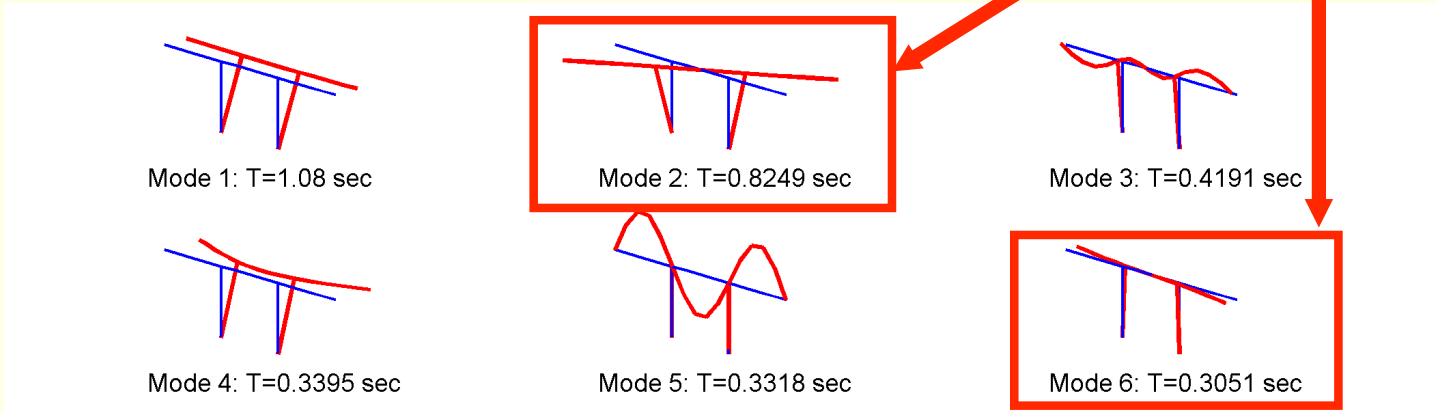
- RHA: Response history analysis to multiple-support excitation
- RSA: Response spectrum analysis
 - Use ground motions spectrum that is appropriate for motions in fault-rupture zones
 - Carefully select modes that are excited by motions in fault rupture zones
- RSA:1-Mode: Response spectrum analysis considering only the most dominant mode
- LSA: Linear static analysis due to forces equal to $2.5m_{\text{eff}}\ddot{u}_{\text{go}}$

Modes Excited

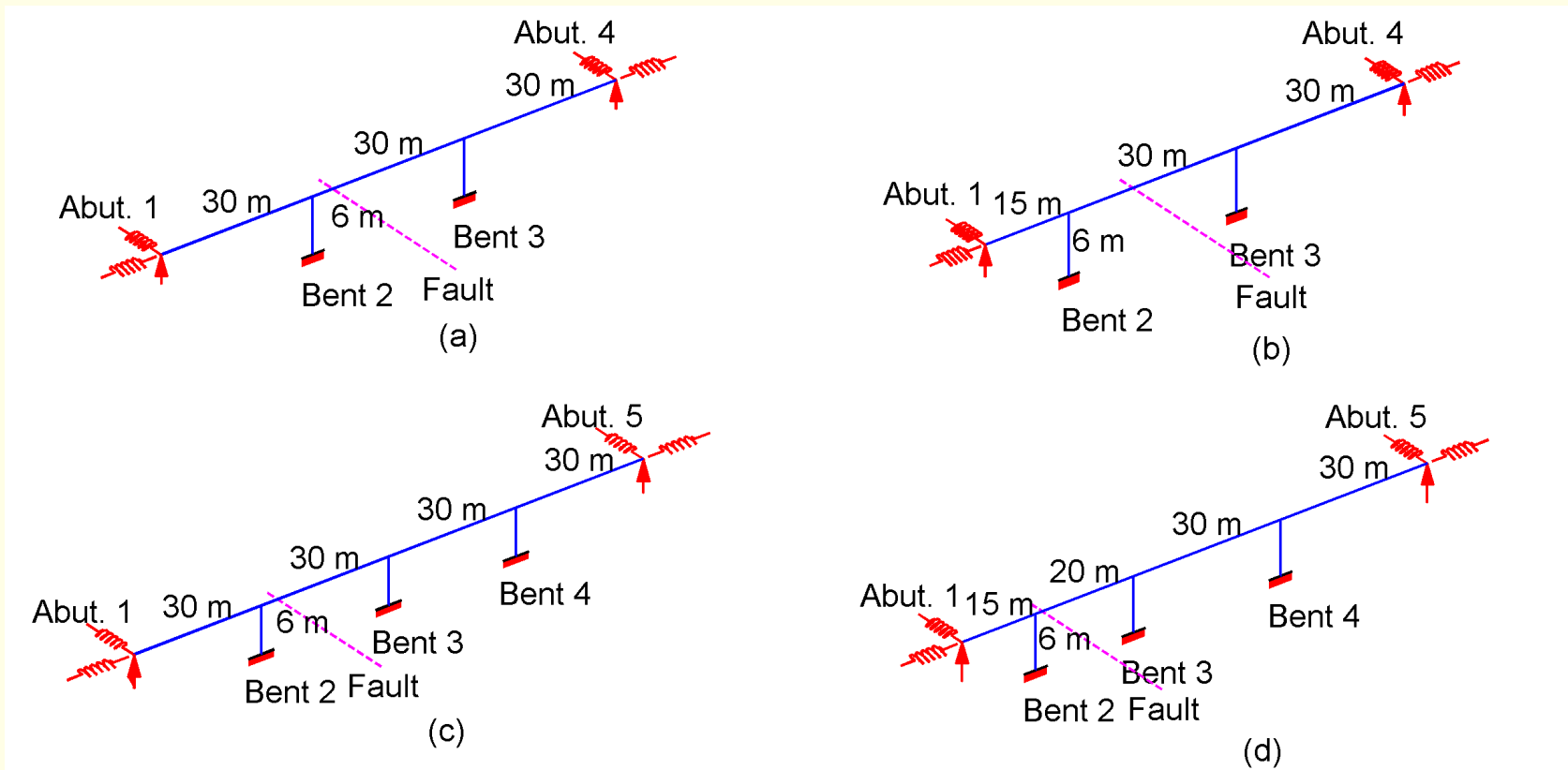


"Effective" Influence Vector

Modes Excited

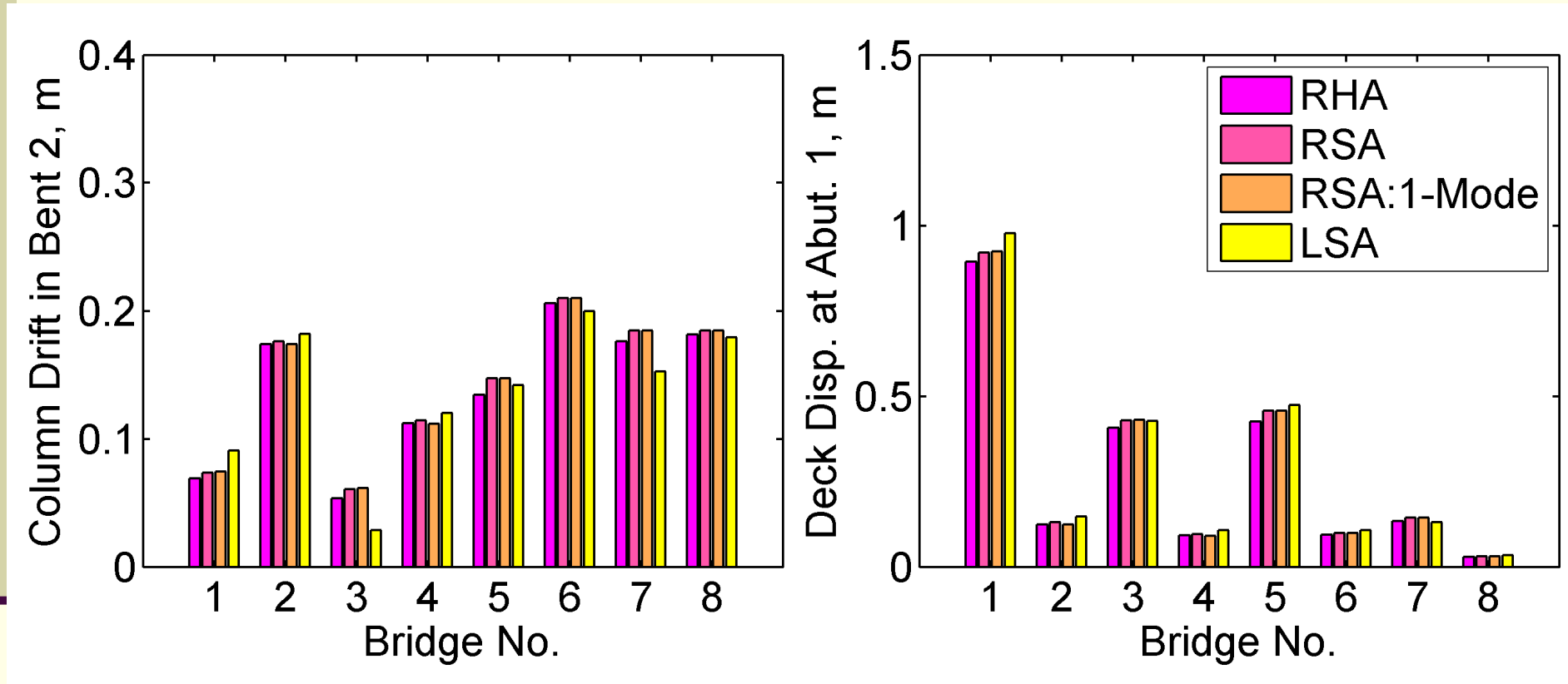


Bridges Selected



Shear Key Cases: Elastic shear keys and no shear keys

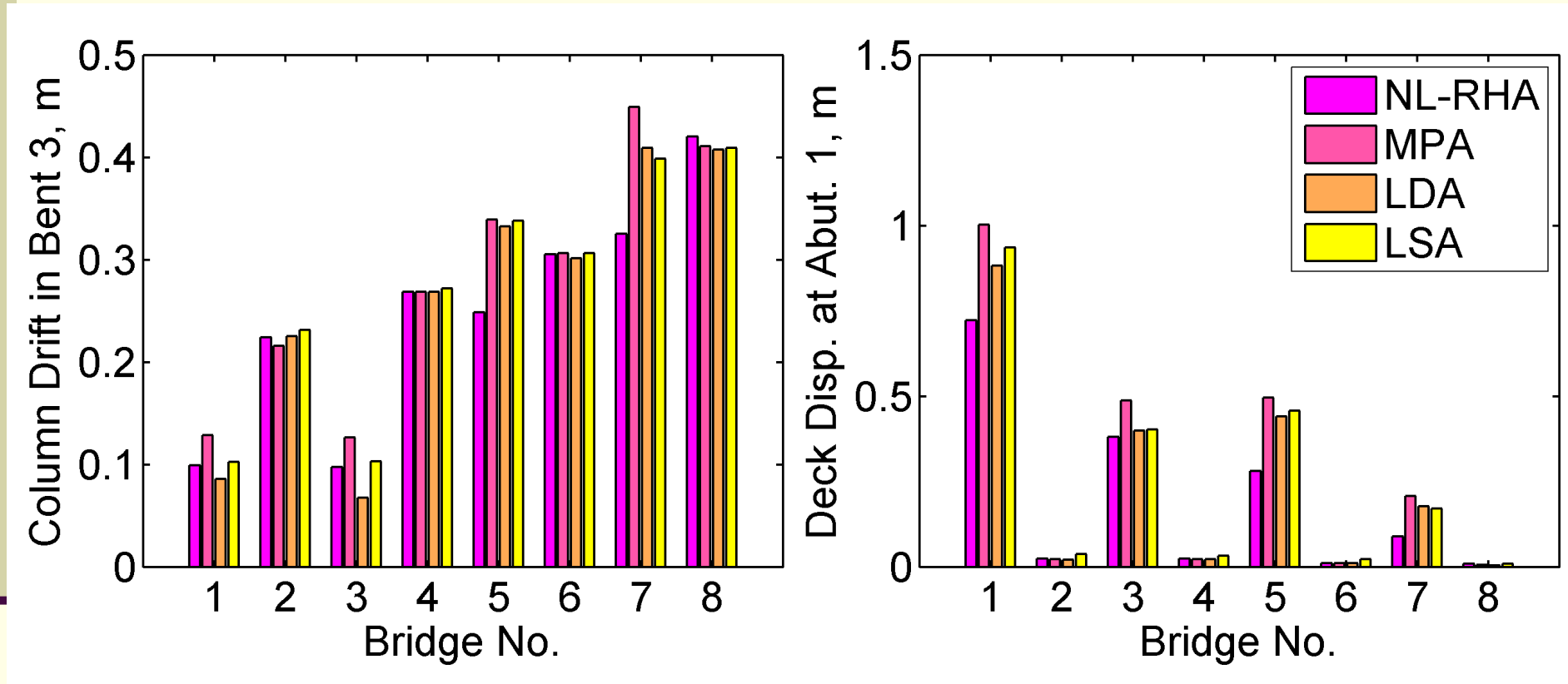
Response of Linear Bridges



Extension to Nonlinear Bridges

- Superposition assumed to be applicable
- Quasi-static response from **nonlinear static analysis** due to peak ground displacements applied simultaneously at all supports
- Dynamic response from
 - MPA: Modal pushover analysis (**nonlinear static pushover**)
 - LDA: **Linear dynamic analysis** (RSA or RSA: 1-Mode)
 - LSA: **Linear static analysis** due to forces equal to $2.5m_{\text{eff}}\ddot{u}_{go}$

Response of Nonlinear Bridges



Recommended Procedure

- Linear Static Analysis Procedure
 - Compute the peak value of the quasi-static response including effects of gravity loads by nonlinear static analysis of the bridge due to peak ground displacement applied at all supports simultaneously
 - Compute peak value of the dynamic response by linear static analysis of the bridge due to lateral forces equal to $2.5m_{\text{eff}}\ddot{u}_{go}$
 - Carefully compute the effective influence vector, which differs for bridges in fault-rupture zones
 - Compute the total response as superposition of the quasi-static and dynamic responses

Recommended Procedure

- Linear static analysis procedure is recommended because
 - It is simple to implement
 - It does not require mode shapes and frequencies
 - Provides results that are “accurate” for most practical applications
 - MPA and LDA are more complicated and offer only slight improvement

Acknowledgment

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 - Contract No. 59A0435 with Mahmoud Khojasteh as project manager
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 - Principal Investigator
- Prof. Doug Dreger and Gabriel Hurtado
 - Simulated ground motions across fault rupture zones