# **PEER Bridge Case Studies**

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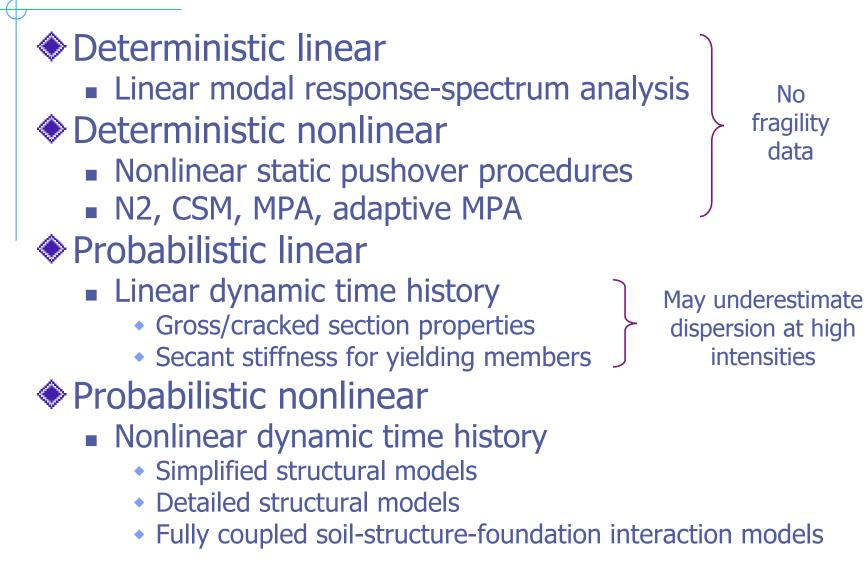
### Outline

Probabilistic vs. deterministic briefly
PEER bridge case studies

- Early days of DEED
- Early days of PEER
- I-880 testbed
- Humboldt Bay Bridge testbed
- Recent PEER testbed and model
- Nonlinear vs. Linear analysis
  - Advantages
  - Disadvantages
- Bridge fragilities
- Improvements



### Deterministic vs. Probabilistic Analysis





### **PEER Bridge Studies**

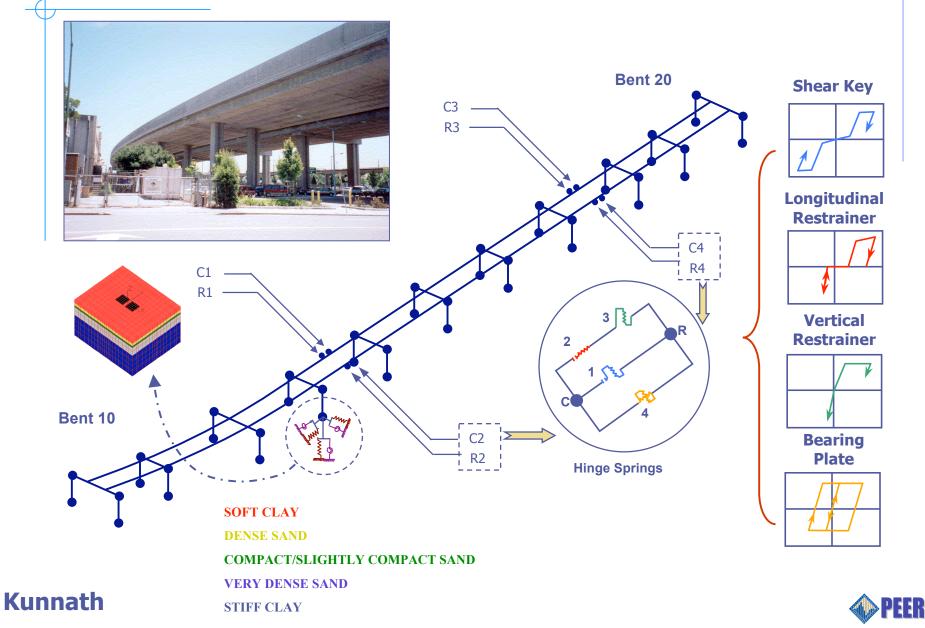
### Previous PEER bridge studies

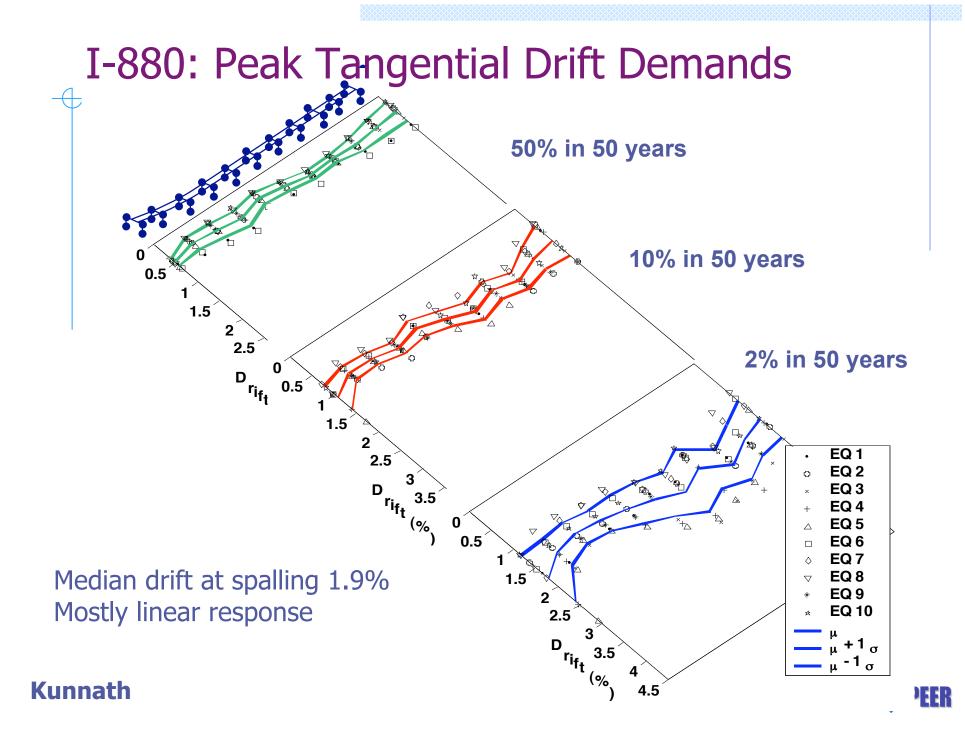
- PEER 312/318 research
  - Mackie/Stojadinovic, UCB
- I-880 Testbed
  - Kunnath/Jeremic, UCD
- Humboldt Bay Bridge Testbed
  - Conte/Elgamal, UCLA/UCSD
- Current bridge study
  - Typical Caltrans overpass Testbed
    - PEER Yr. 8-10
    - UCB, UW, etc.
    - Modular design for exchange of components
    - See poster for more details

Rely heavily on nonlinear probabilistic analysis

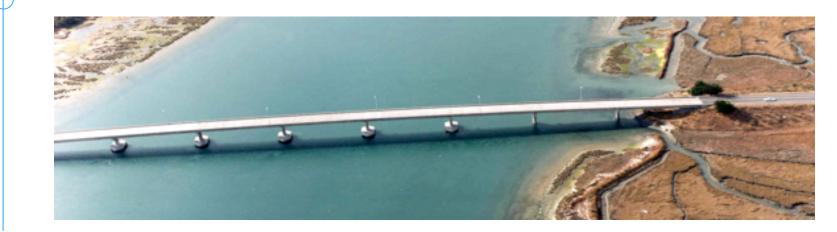


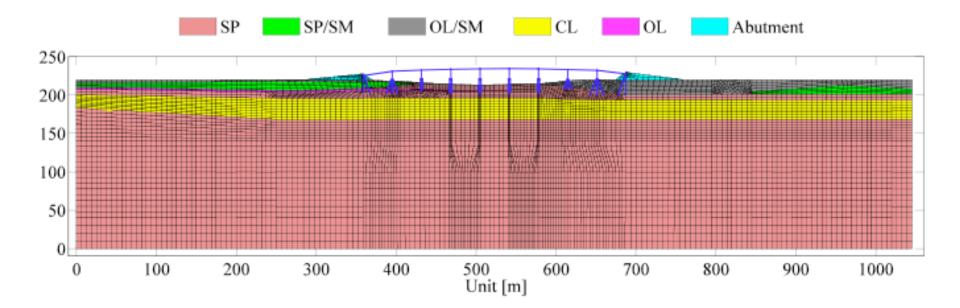
### **I-880 Simulation Model**





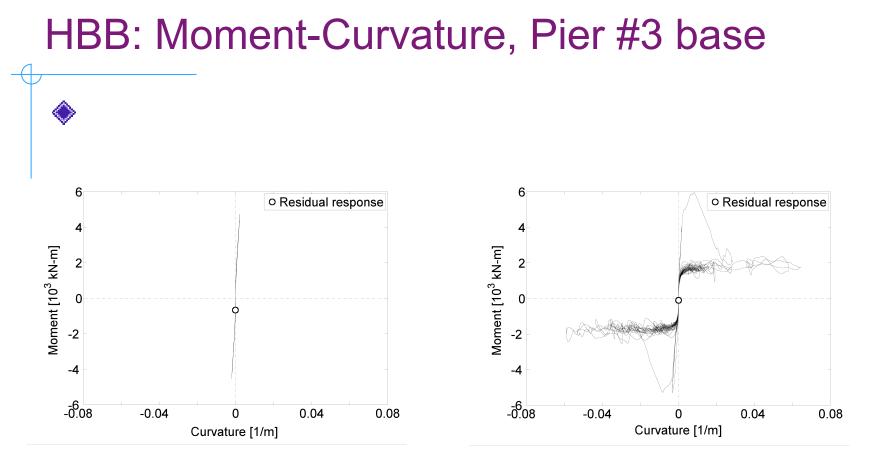
### Humboldt Bay Bridge





Conte





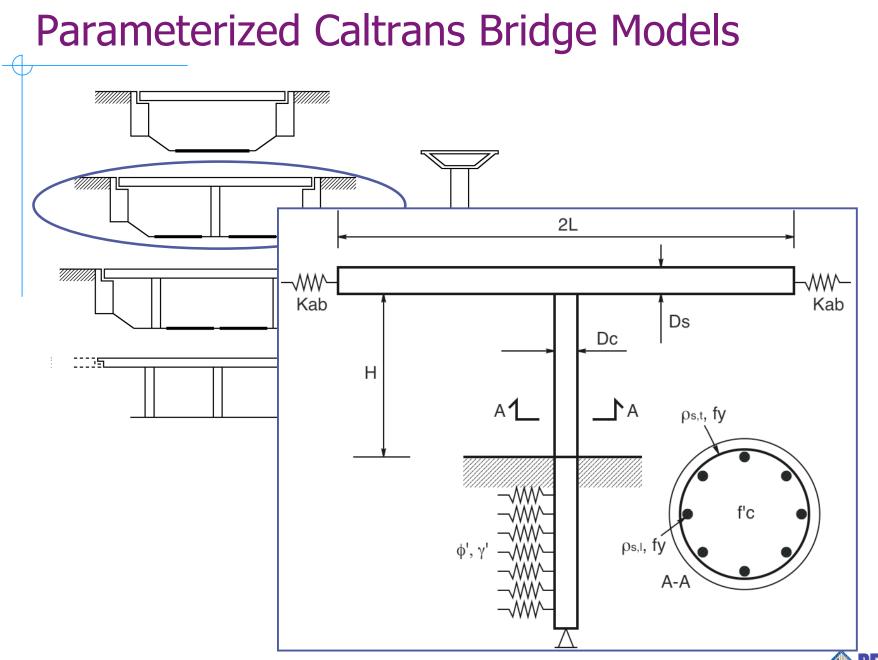
Earthquake #1 (50% in 50 years)

Earthquake #2 (2% in 50 years)

Non-linear response at 2% in 50 year hazard level

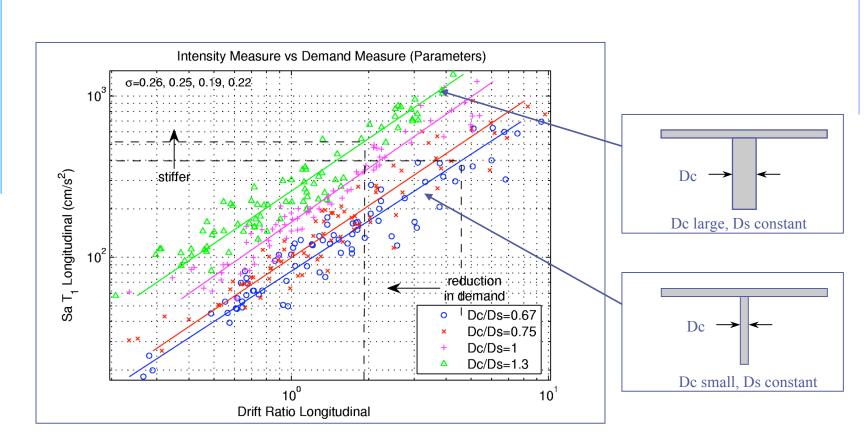
#### Conte







# Parameterized Caltrans Bridge Models

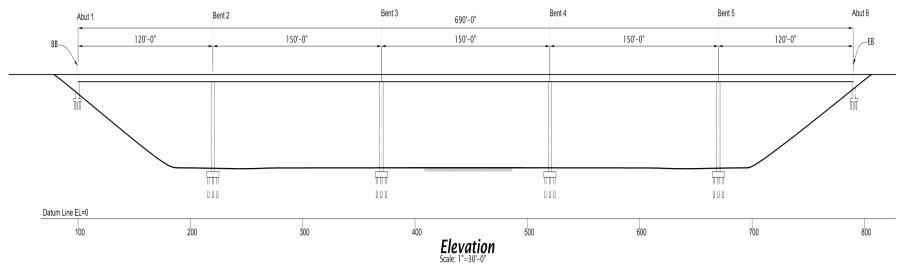


Variation of single-bent bridge column diameter (Dc)

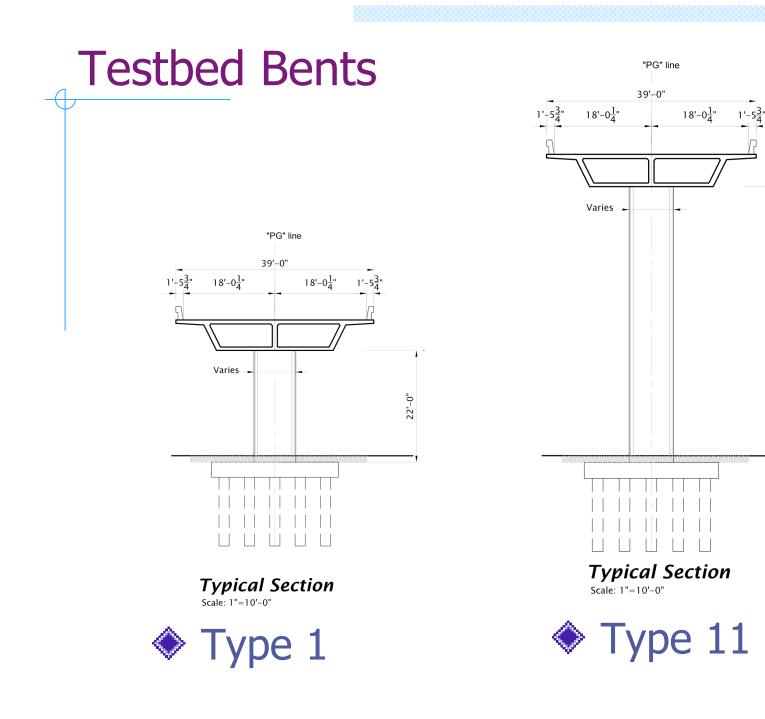


# Caltrans Overpass Testbed

- Bridge characteristics
  - CIP, post-tensioned box girder
  - Deck 39 ft wide, 6 ft deep
  - Single column bents
  - Span lengths 120-150x3-120 ft

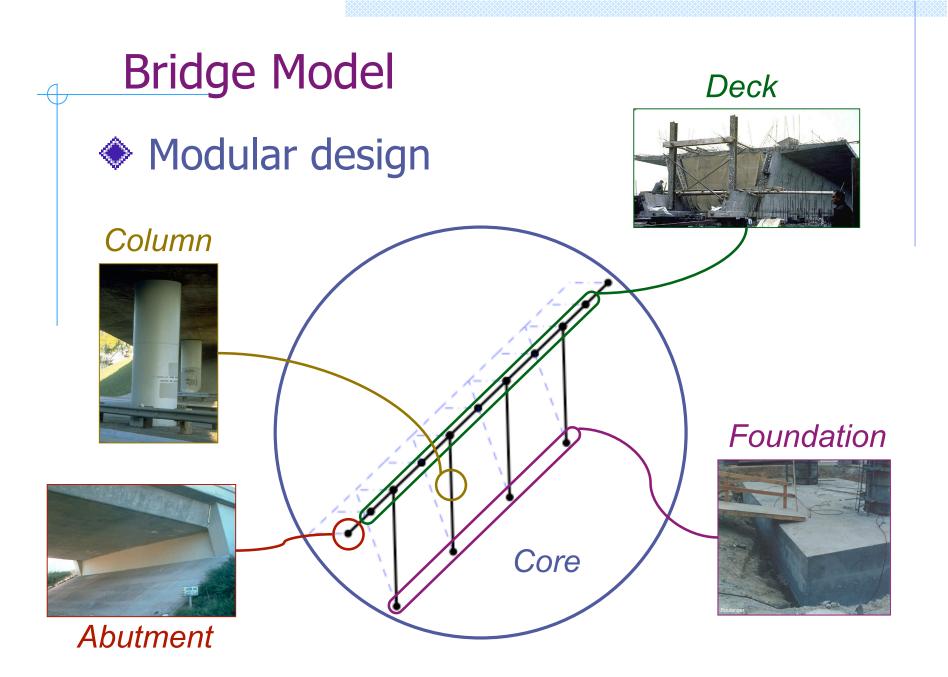








50'-0"





# Modular design

Bridge Model

Column





Abutment

 Allows system-level performancebased assessment for developers of individual components
Baseline structure for comparison of results using emerging technologies/analytical tools
Incorporates contributions from 2 previous talks (column/damage

modeling & soil profile model)

Deck

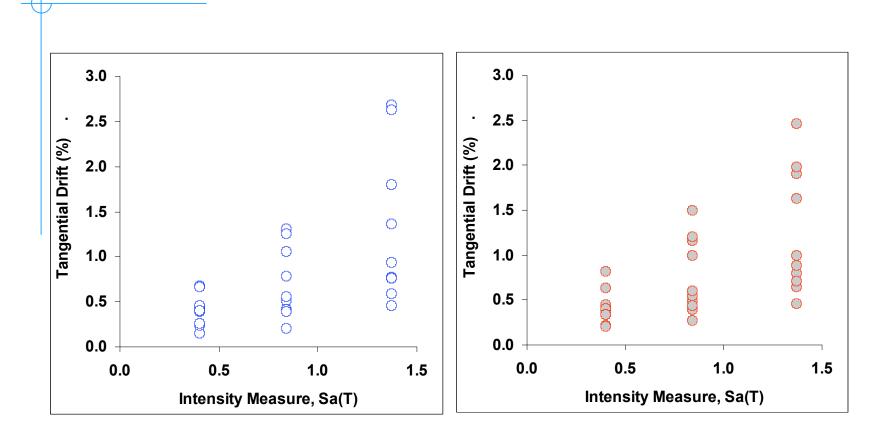


### Nonlinear vs. Linear Analysis

- Advantages of nonlinear analysis
  - More accurate demands at higher intensities
  - More accurate intermediate and local response measures (moment, curvature, strains)
  - More accurate bridge component response (expansion joint, abutment, soil & foundation)
  - Strength and stiffness degradation
  - Residual displacement
  - Captures uncertainty due to nonlinearity of structure
- Disadvantages of nonlinear analysis
  - Computationally costly
  - Sensitive to modeling choices
  - May be unnecessary at lower intensities
  - May be unnecessary for global response measures



### I-880: Linear vs. Nonlinear Demands

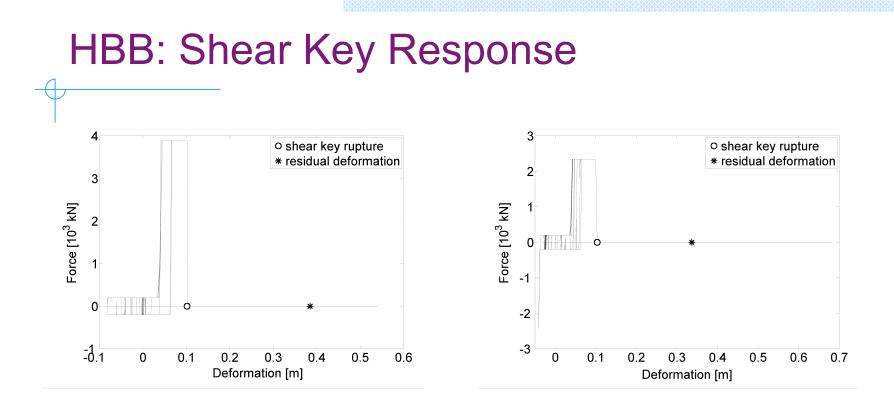


Inelastic Model

Elastic Model



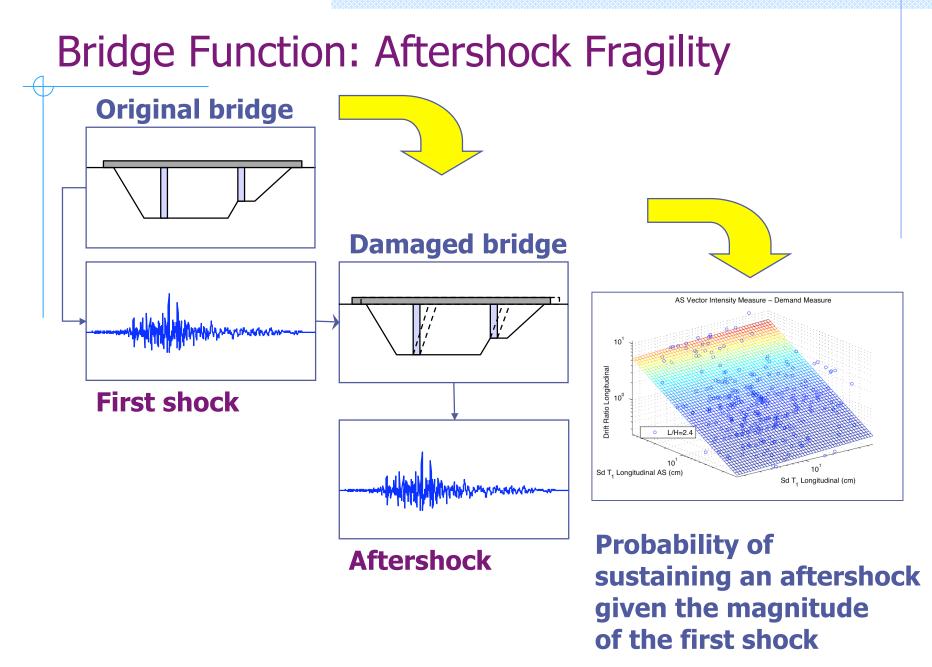




Force-deformation responses of shear keys at (a) left abutment, and (b) right interior expansion joint, during Earthquake #2

#### Conte

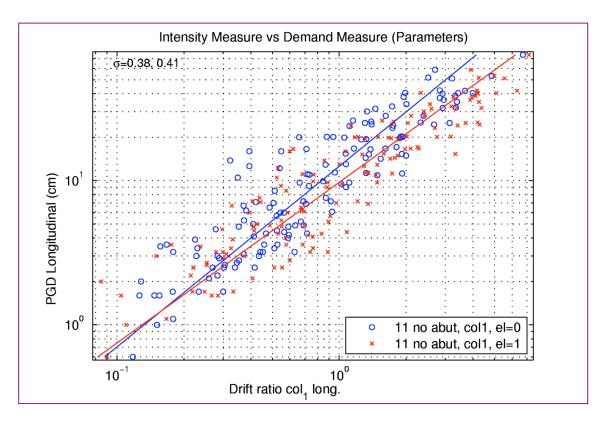






## Linear vs. Nonlinear Demands

### Testbed bridge

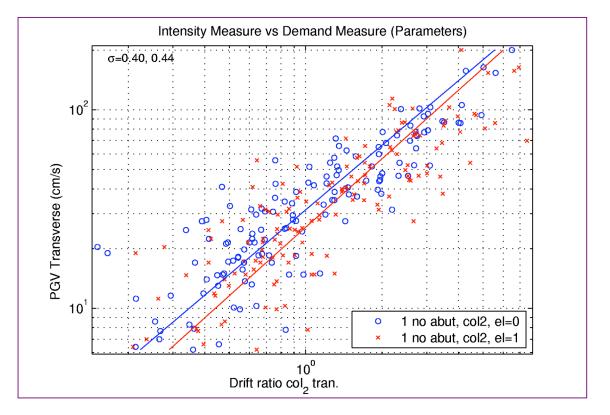


♦ Type 11, column 1, roller abutment, fixed base



## Linear vs. Nonlinear Demands

### Testbed bridge

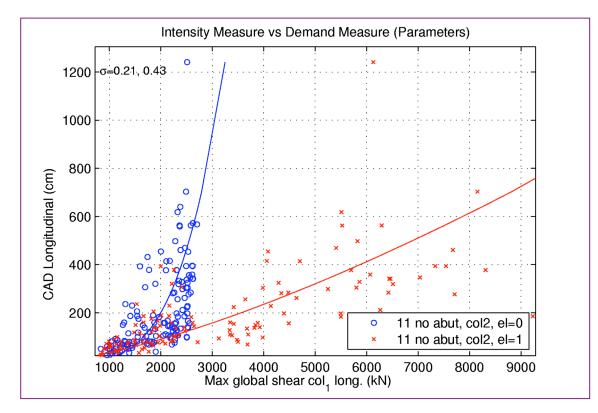


♦ Type 1, column 2, roller abutment, fixed base



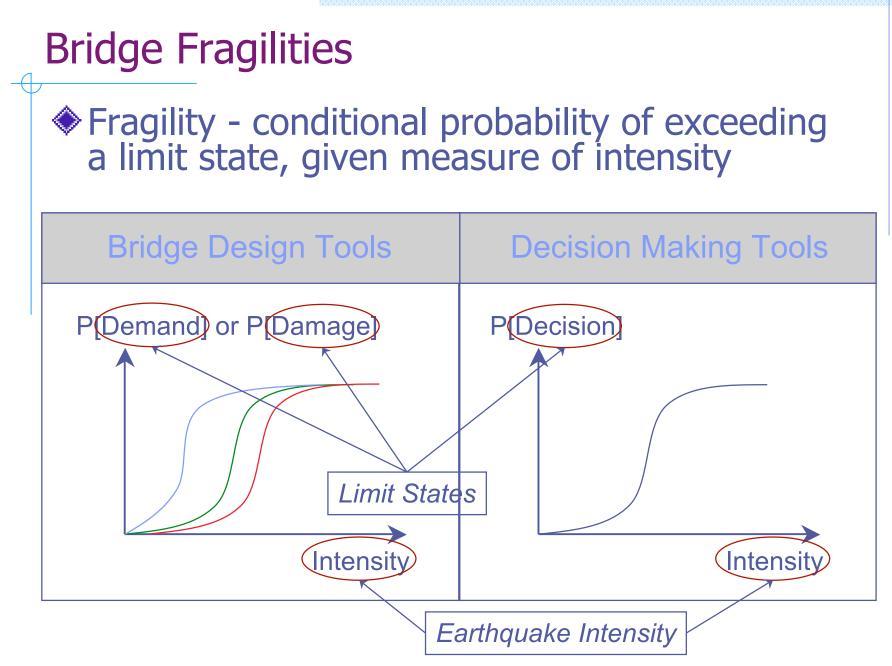
# Linear vs. Nonlinear Demands

### Intermediate EDPs



♦ Type 11, column 2, roller abutment, fixed base







PEER Center Framework

Divide and Conquer!

$$P(DV > dv^{LS} | IM = im) = \iint G_{DV|DM} (dv^{LS} | dm) \cdot |dG_{DM|EDP} (dm | edp)| \cdot |dG_{EDP|IM} (edp | im)|$$

Interim models:

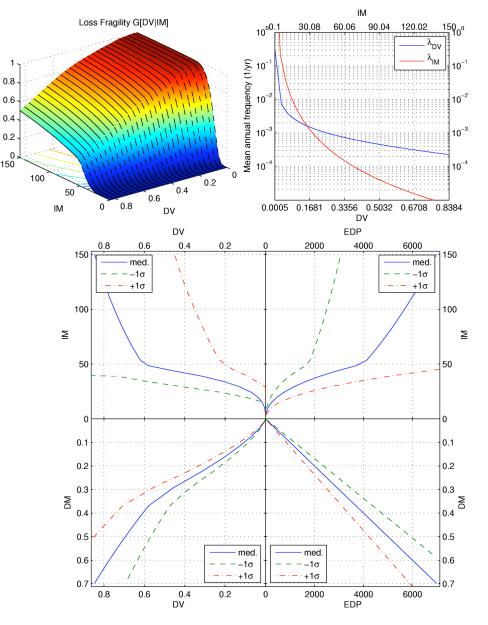
- Demand
- Damage
- Decision



### **Computing Decision Fragility**

 Given the interim models, Matlab tool computes the conditional probability of failure (median, dispersion)

 Assumptions required





### **Computing Decision Fragility**

 Use a graphical method, Fourway, to obtain the conditional probability of failure (median and dispersion)
Approximate,

but no

required

assumptions

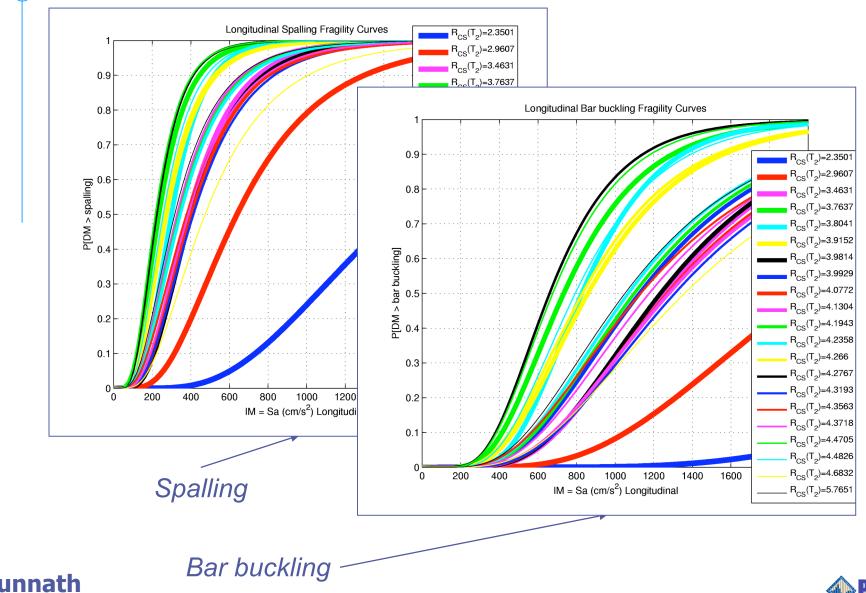
2000 4000 10000 0.8 0.6 0.4 0.2 0 6000 8000 150 med med. +1σ<sub>DVIIM</sub> -1σ<sub>EDPIIM</sub>  $-1\sigma_{\text{DVJIM}}$  $+1\sigma_{\text{EDPJIM}}$ 100 100  $Sd(T_{1})$  (cm)  $Sd(T_1)$  (cm) 50 50 0 0.1 0.1 (decimal) 0.2 ( capacity 0.40.5 0.6 **peo** vert. 0.7 oss med med. 0.8 -1σ<sub>DVIDM</sub> -1σ<sub>DMIEDP</sub> 0.9 0.9 +1σ<sub>DVIDM</sub> +1σ<sub>DMIEDP</sub> 0.8 0.6 0.4 0.2 0 2000 4000 6000 8000 10000 1 Traffic volume loss (decimal) Loss vert. load capacity (k)

Loss vert. load capacity (k)

Traffic volume loss (decimal)



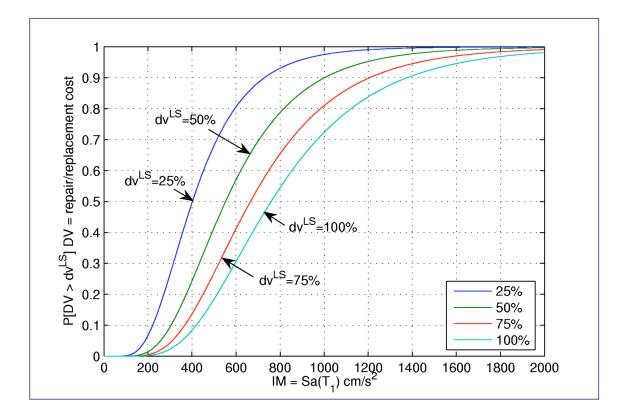
### Families of Damage Fragility Curves



**Kunnath** 



### Decision fragility curves



Repair cost ratio (RCR)



### The Next Steps

- Document ongoing work
- Nonlinear vs. linear analysis
  - More detailed study of nonlinear vs. linear analysis in the presence of abutments, soil, performance-enhanced elements, etc. is needed
  - Under many restrictions, linear analysis may provide sufficiently accurate estimates of mean global EDP
- How to improve fragilities?
  - More repair cost data
  - Better damage data for bridge components other than columns
  - Calibrated models for other bridge components
  - Better estimate of damage due to geotechnical failure modes: SSI analyses
  - Enhanced columns designs (rocking, jackets, HPFRC)



