Use of PBEE to Assess and Improve Building Code Provisions







Greg Deierlein Stanford University

with contributions by Curt Haselton & Abbie Liel Stanford University





Nearer Term: Code Improvements & Evolution

- Benchmarking Building Performance Implied by
 Design Codes for New Buildings
 - Basis for improving/refining current provisions
 - More informed decision making for designing "beyond the code" using enhanced performance systems
 - ATC 63: Quantification of Building System Performance and Response Parameters (for new systems and materials)
- Improvement of 1st-generation PBEE Approaches (e.g., FEMA 273/356)
 - Integration of new data and acceptance criteria using Nonlinear Time History (NLTH) Analysis
 - Definition, calibration and validation of codified models for nonlinear simulation
 - Improved procedures and criteria for selection and scaling of ground motions for NLTH analysis



PBEE COLLAPSE (SAFETY) Assessment



Illustration – 4 Story SMF Building

- Office occupancy
- Los Angeles Basin
- Design Code: 2003 IBC / 2002 ACI / ASCE7-02
 - Perimeter Frame System
- Maximum considered EQ demands:
 - $S_s = 1.5g; S_1 = 0.9g$
 - $S_{a(2\% \text{ in } 50 \text{ yr})} = 0.82g$
- Design V/W of 0.094g
- Maximum inelastic design drift of 1.9% (2% limit)





Typical Perimeter Frame Members

Beams: 32" to 40" deep Columns: 24"x28" to 30"x40"

Governing Design Parameters

- Beams: minimum strength
- Column size: joint strength
- Column strength: SCWB
- Drift: just meets limit



Realistic component simulation



7



Sidesway Collapse Modes



5% of collapses







Collapse Performance

• Margin:
$$S_{a,collapse} = 2.7 \text{ MCE}$$

Probability of collapse under design MCE = 5%

• $MAF_{col} = 1.0 \times 10^{-4}$ (about $\frac{1}{4}$ of the MCE 2% in 50 year ground motion)



Nearer Term: Code Improvements & Evolution

- Benchmarking Building Performance Implied by Design Codes for New Buildings
 - Basis for improving/refining current provisions
 - More informed decision making for designing "beyond the code" using enhanced performance systems
 - ATC 63: Quantification of Building System Performance and Response Parameters (for new systems and materials)
- Improvement of 1st-generation PBEE Approaches (e.g., FEMA 273/356)
 - Integration of new data and acceptance criteria using Nonlinear Time History (NLTH) Analysis
 - Definition, calibration and validation of codified models for nonlinear simulation
 - Improved procedures and criteria for selection and scaling of ground motions for NLTH analysis





Over-reliance on

- static pushover method
- highly idealized (and conservative) backbone curves
- discrete deterministic component acceptance criteria

"Enhanced FEMA 356"

- Realistic Inelastic Model
- Nonlinear Time History Analysis
- 20 ground motions (10 pairs) with their geometric mean scaled to hazard at Sa(T1)
- Statistical evaluation of deformation demands to input ground motions
- Probabilistic assessment of component acceptance criteria to test data

 $Probability[\Theta_p > \Theta_{p,limit-state}] = X$

RC Beam-Column Simulation Model Calibration



OVERVIEW OF CALIBRATION EFFORT

- Basic Hysteretic Model
 - 5 parameter backbone curve
 - 2 (x4) hysteretic parameters
- Previous RC Behavioral Studies
 - -Fardis et al. (Ocap, Ou)
 - -Eberhard et al. (EDP criteria for spalling and bar buckling)
- Current effort: Systematic calibration to 226 flexurally dominated columns

• Goal: Validated model to be vetted through consensus process



- Response Parameters:
 - strength and deformation anchor points
 - cyclic hysteretic response
- Damage Parameters (EDP DM)
- Characteristic Mean & COVs

Probabilistic EDP Statistics (e.g. drift, Θ_p)



PDF (probability density function)

At 2% in 50 year (MCE) Sa:

Drift:

 $IDR_{max} = 0.016 \text{ to } 0.050$ Mean IDR_{max} = 0.028 COV = 37%

Beams:

 $\Theta_{p,max} = 0.012 \text{ to } 0.045$ Mean $\Theta_{p,max} = 0.025$ COV = 43% *(vs. FEMA 356 \Theta_{cp} < 0.025)*

Columns:

 $\Theta_{p,max} = 0 \text{ to } 0.03$ Mean $\Theta_{p,max} = 0.010$ COV = 110% (vs. FEMA 356 $\Theta_{cp} < 0.020$) 19

Probabilistic Limit State Assessment



$$P[D \ge C] = 1 - \Phi\left(\frac{0 - \mu_{\ln,z}}{\sigma_{\ln,z}}\right)$$
where: $\mu = \mu_{\ln,z} = \mu_{\ln,z}$

where: $\mu_{\ln,z} = \mu_{\ln,D} - \mu_{\ln,C}$ $\sigma_{\ln,z}^2 = \sigma_{\ln,D}^2 + \sigma_{\ln,C}^2$

 Φ (standard normal table)

Component Limit State Checks: Beams P[D>C] = 6 %Columns P[D>C] = 6 %(just a coincidence that they turn out the same)

 σ_{ln}

0.40

0.40

IMPACT – Future PBEE Codes (e.g., ATC 58)

Framework

- Transparent, Scientific, Modular, Extendable
- Standardize Component Models & Criteria
 - Structural Component Simulation & Damage Models
 - Nonstructural Damage (Fragility) Models
- Systematize Decision Support
 - Articulation of Decision Variables (Metrics)
 - Design Support EDP to DV relationships
- Consistent Approaches across:
 - Hazards, Materials, Disciplines